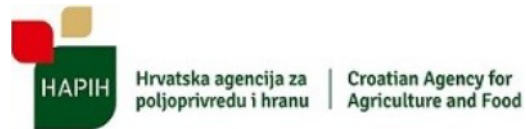


Increasing Effective Population Size by Strengthening Genetic Connectedness Between flocks: Case Study on Pag Sheep Breed

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Pag sheep

- Croatian Autochthonous breed
- Population size ~ 30,000
- DAIRY orientated breed (wool)
- HARSH environment
("BURA" > 200 km/h)
- Forage enriched with sea salt
- Exotic Aromatic plants



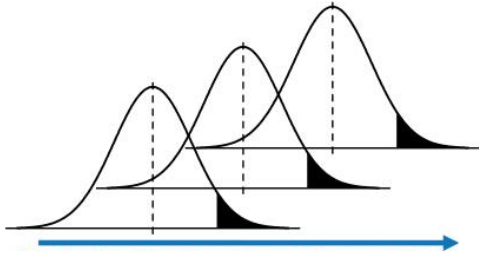
Pag sheep

- Modest milk yield ~ 0.8 Kg/day
(120 kg in 5 months of milking)
- OUTSTANDING profitability
 - fresh milk (~ 2 €/L) – no surpluses
 - cheese (30-40 €/kg)
 - curd cheese (8 €/kg)
 - fresh meat (~ 12 €/kg)



Pag sheep

- Aim → to increase milk yield



- Selection ~ 4,500 sheep
- Pedigree records
- Milk control (ICAR)
- Pedigree BLUP → Genomic Sel.



$$\begin{bmatrix} \mathbf{b} \\ \mathbf{a} \end{bmatrix} = \begin{bmatrix} \mathbf{X}'\mathbf{X} & \mathbf{X}'\mathbf{Z} \\ \mathbf{Z}'\mathbf{X} & \mathbf{Z}'\mathbf{Z} + \mathbf{A}^{-1}\lambda \end{bmatrix}^{-1} \begin{bmatrix} \mathbf{X}'\mathbf{y} \\ \mathbf{Z}'\mathbf{y} \end{bmatrix}$$

Numerator relationship matrix

Long term goal – Genomic OCS

- Single step GBLUP (Aguilar et al., 2010.)

$$\mathbf{H}^{-1} = \mathbf{A}^{-1} + \begin{bmatrix} 0 & 0 \\ 0 & \mathbf{G}^{-1} - \mathbf{A}_{22}^{-1} \end{bmatrix}$$

- ~1735 Genotyped animals (illumina 50K SNP ovine bead chip)

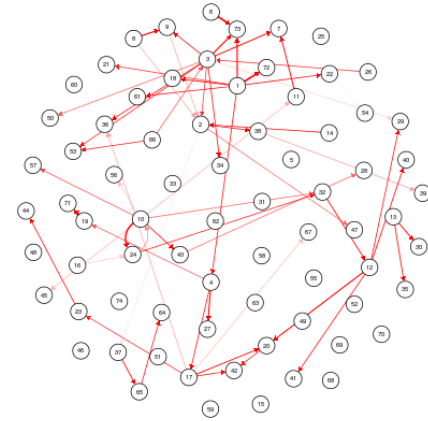
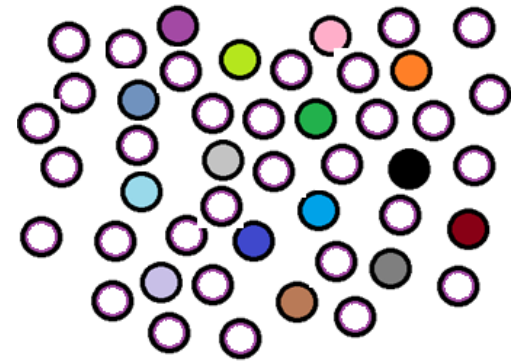


Aims of the study

- 1) Effective population size (N_e) → Conservation
- 2) Connectedness between flocks → Unbiased BLUP
- 3) Relationship between **connectedness** and N_e

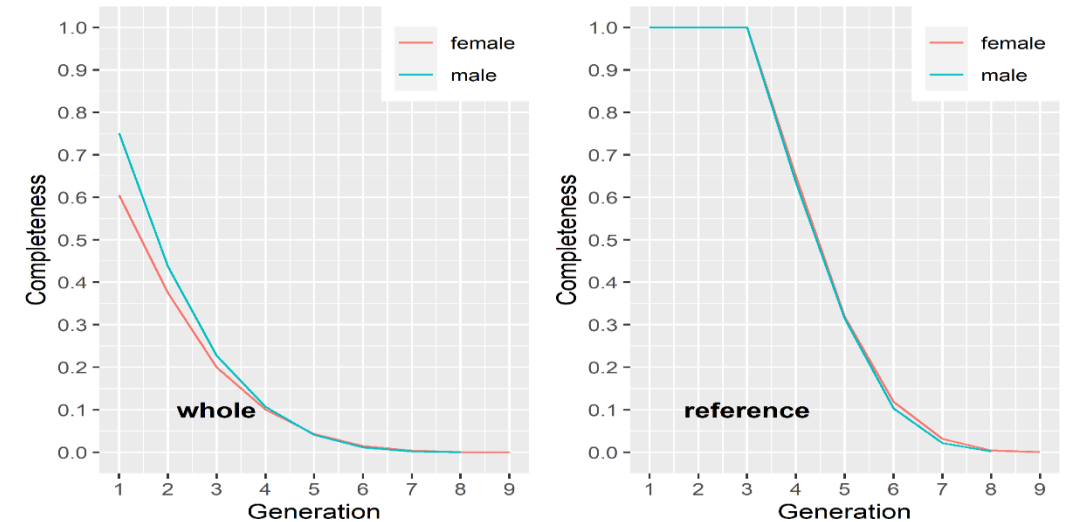
Hmm!! Is there relationship between these parameters???

Can **connectedness** contribute to genetic **variability** ???



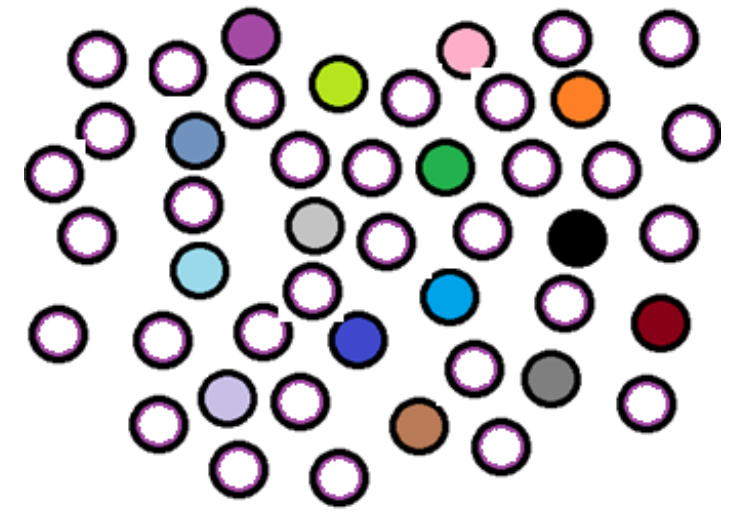
Materials and methods - pedigree

- Data (pedigree, flock) → CMA
- Pedigree → $n=10451$, 74 flocks (coancestry)
- Pedigree QC → NEG, NFG, NMG, PCI
- **Reference population for (N_e) → $NFG \geq 3$ & born 2008 – 2018**



	stati.	NEG	NFG	NMG	PCI
Whole population	max	5.74	4.00	9.00	1.00
	median	1	1.00	2.00	0.25
	mean	1.36	0.89	2.26	0.29
Reference population	max	5.74	4.00	9.00	0.97
	median	4.09	3.00	6.00	0.79
	mean	4.12	3.05	6.39	0.79

Materials and methods – N_e



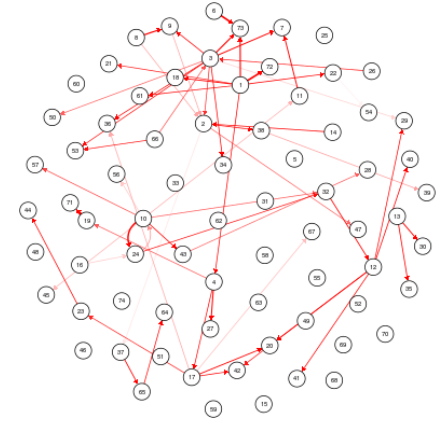
- R package “optiSel” (Wellman, 2021)

- $N_e \rightarrow$ mean rate of increase in coancestry (Cervantes et al., 2011):

$$N_e = \frac{1}{2\Delta C} \quad ; \quad \Delta C_{ij} = 1 - \frac{g_i + g_j}{2} \sqrt{1 - C_{ij}}$$

- Sliding window approach (4 year) $\rightarrow$
- $N_e (2008-2011, \dots, 2015-2018) = N_e (1, \dots, 8)$
- $\Delta N_e \rightarrow$ regression of $N_e (1, \dots, 8)$ on $GI_{(1, \dots, 8)}$

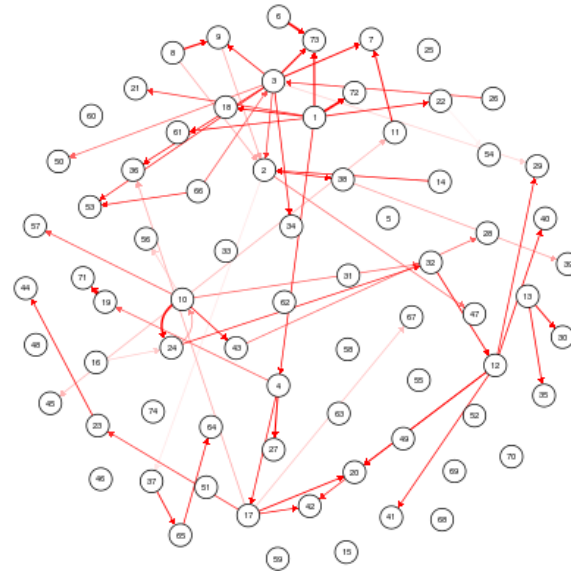
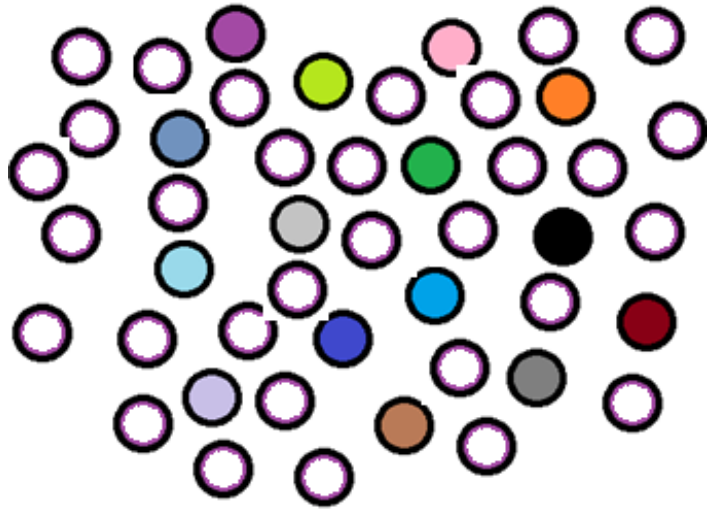
Materials and methods - Connectedness



- **PEVD** - (Kennedy and Trus, 1993)
- $PEVD(\hat{u}_i - \hat{u}_j) = [PEV(\hat{u}_i) + PEV(\hat{u}_j) - 2PEC(\hat{u}_i, \hat{u}_j)] = (C_{ii}^{22} - C_{ij}^{22} - C_{ji}^{22} - C_{jj}^{22}) * \sigma_e^2$
- $PEVD_{i',j'} = \frac{1}{n_{i'} * n_{j'}} \sum PEVD_{i',j'}$
- R package “GCA” (Yu and Morota, 2021)
- The sliding window $\rightarrow \overline{PEVD_{i',j'}(2008-2011, \dots, 2015-2018)} = \overline{PEVD_{i',j'}(1, \dots, 8)}$
- $\overline{\Delta PEVD_{i',j'}} \rightarrow$ Regression of $PEVD_{i',j'}(1, \dots, 8)$ on $GI_{(1, \dots, 8)}$

Materials and methods: Connectedness $\leftrightarrow N_e$

- Regression of N_e (1,...,8) on $PEVD_{i',j'}$ (1,...,8)

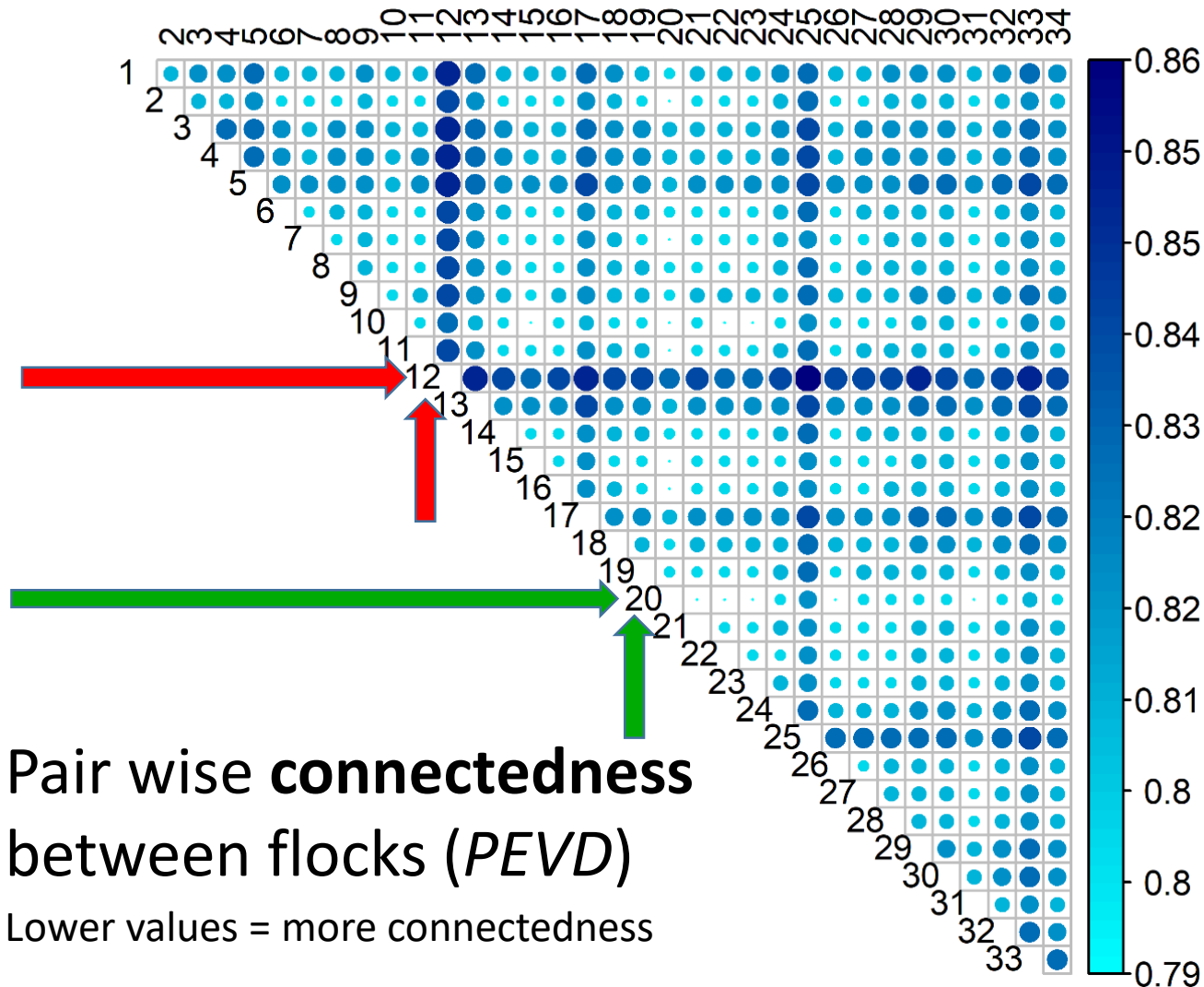


Results (1): *Effective population size (N_e)*

GI (Years)	N_{ref}	$\overline{\Delta C}$	N_e	N_e/N_{ref}
8 (2008-2011)	1833	0.0096	52	0.03
7 (2009-2012)	1703	0.0083	60	0.04
6 (2010-2013)	1721	0.0069	73	0.04
5 (2011-2014)	1700	0.0066	76	0.04
4 (2012-2015)	1719	0.0058	86	0.05
3 (2013-2016)	1740	0.0050	100	0.06
2 (2014-2017)	1715	0.0043	117	0.07
1 (2015-2018)	1457	0.0039	127	0.09

$\Delta N_e \sim 11$ animals

Results (2) - Connectedness (PEVD)



$$PEVD_{i',j'}(min) = 0.77$$

$$PEVD_{i',j'}(max) = 0.86$$

$$\overline{PEVD_{i',j'}} = 0.81$$

$$\overline{PEVD_{20,j'}} = 0.80$$

$$\overline{PEVD_{12,j'}} = 0.84$$

Result (3): *Connectedness (PEVD)* $\leftrightarrow N_e$

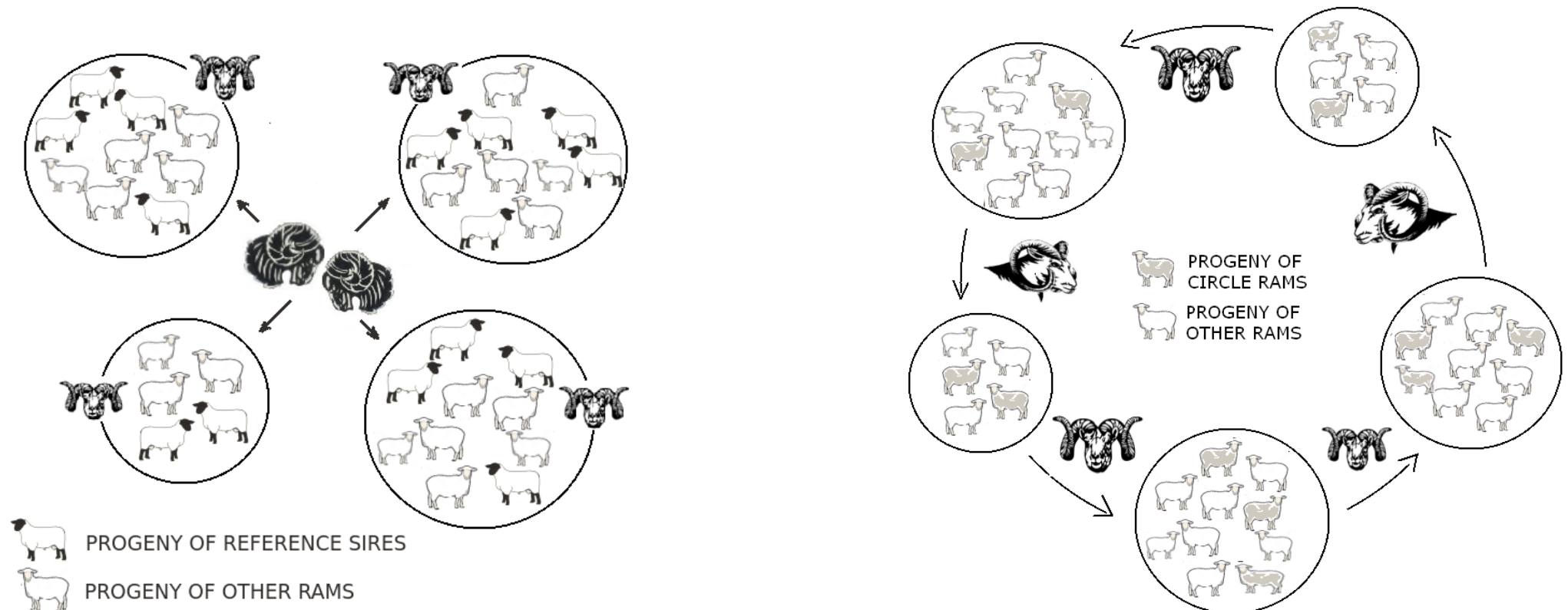
- Regression of $N_e (1,...,8)$ on $PEVD_{i',j'} (1,...,8) \rightarrow$

$$\overline{\Delta PEVD_{i',j'}} - 0.01 = \Delta N_e + 5.5 \text{ animals } (P=0.054)$$

- **CONNECTEDNESS** $\leftarrow \textcolor{red}{+} \rightarrow N_e$ in Pag sheep population

Discussion

- Positive $\Delta N_e \rightarrow$ surprising !!! Breeders avoid inbreeding $\rightarrow$ OCS
- **Connectedness** $\rightarrow$ insufficient for many flocks (BIAS) $\rightarrow$ SRS, RR

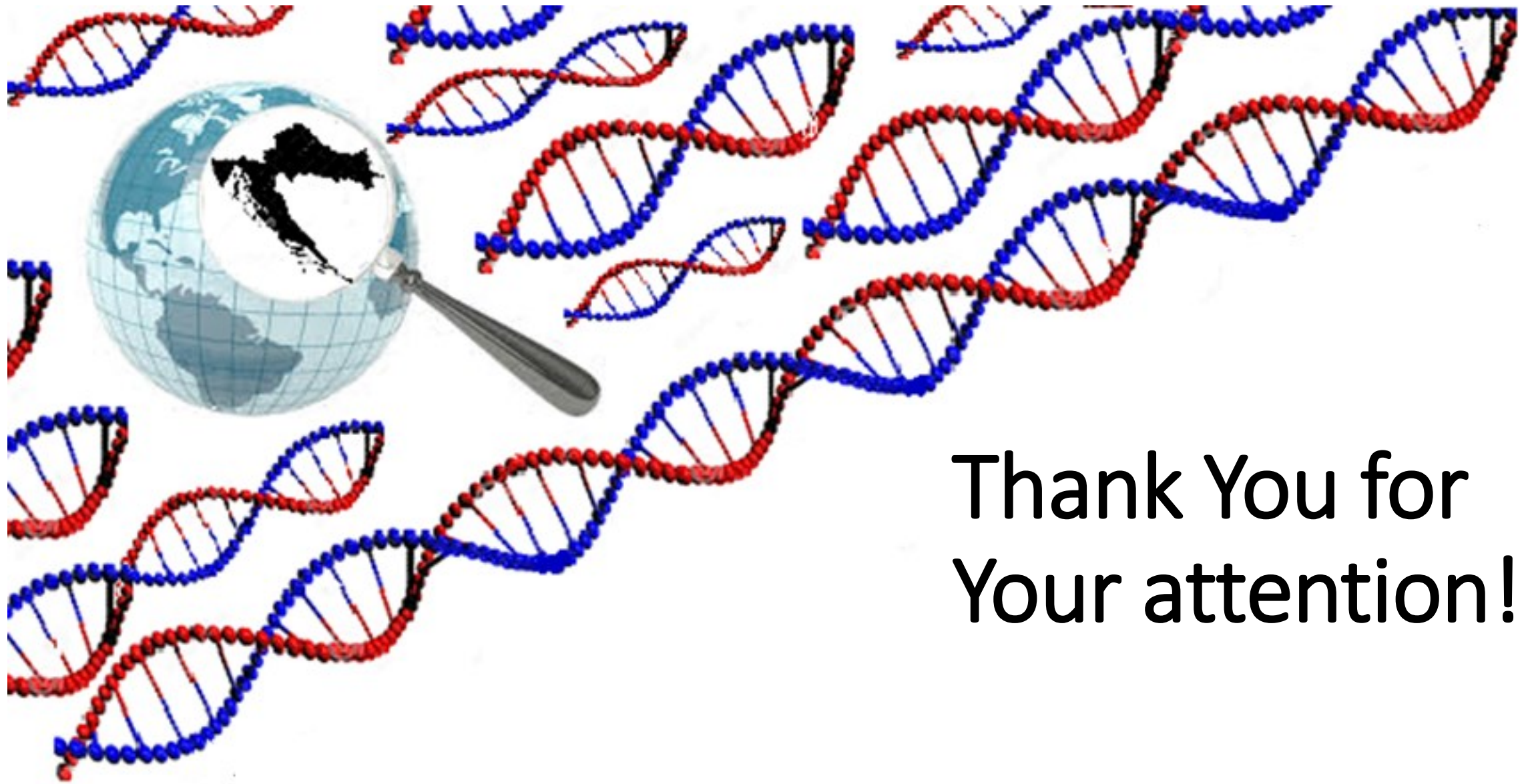


Discussion

- **First** insight into relationship between rate of **connectedness** and N_e
- Discrepancy in number of animals used in estimation of partial **connectedness** and $N_e \rightarrow$ **inconclusive** relationship
- The result is **logical** (the more exchange of animals between flocks, the more “shuffling” of the genome in the population)

Conclusions

- The “**candidate**” relationship between connectedness and effective population size should be additionally investigated, preferably under the framework of genomics.
- The Pag sheep breed has Good perspective for implementation of **OCS**, but in order to exploit all the available genetic pool of the breed, more efforts should be made to provide connectedness.



Thank You for
Your attention!

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