



Partition of genetic trends by origin in Croatian dairy cattle

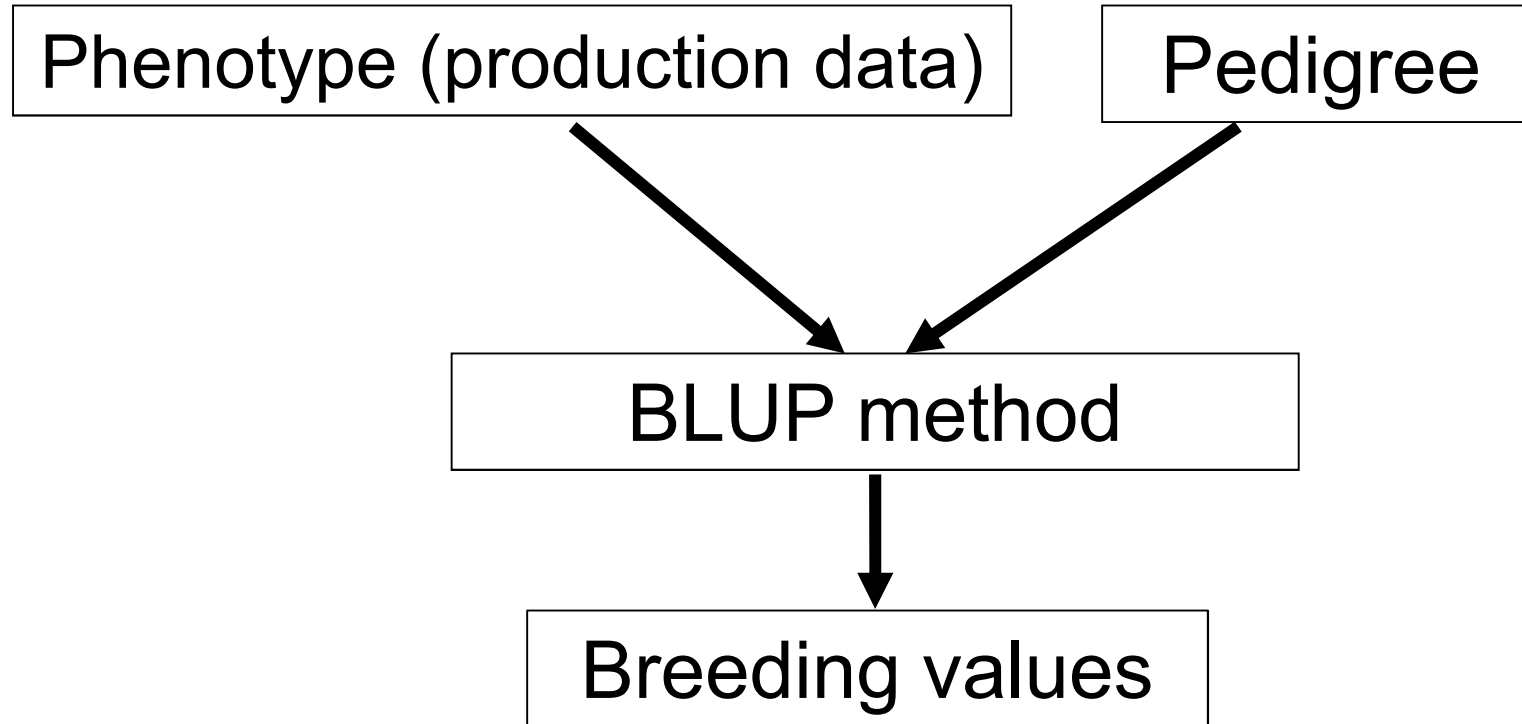
Špehar M.¹, Ivkić Z.¹, Bulić V.¹, Barać Z.¹, Gorjanc G.²

¹Croatian Agricultural Agency, Ilica 101, 10000 Zagreb, Croatia

²University of Ljubljana, Biotechnical Fac., Animal Science Dep., Groblje 3, 1260 Domžale, Slovenia



Introduction



Genetic trend

average breeding value per birth year of individuals



Genetic improvement

- Domestic selection
- Import (animals or semen)
- **Aim:** partition the genetic trend in Croatian Simmental cattle according to the origin of selection



Material

- Breeding values from routine genetic evaluation
 - Lactation protein yield (2003 to 2011)
 - Net daily gain (2006 to 2011)
- Pedigree information
- Central database of Croatian Agricultural Agency



Number of animals

Origin / Trait	Phenotype data	Pedigree data
Protein yield (kg)	101,475	170,610
AUT	1,88	6,13
CRO	96,80	89,49
CZE	0,58	0,31
DEU	0,74	3,96
UCN (USA, Canada, The Netherlands)	/	0,08
Other	/	0,03
Net daily gain (g/day)	121,029	303,348
AUT	/	1,72
CRO	100,0	96,9
CZE	/	/
DEU	/	1,19
UCN (USA, Canada, The Netherlands)	/	0,06
Other	/	0,13

Method

- Prior model for \mathbf{a} in animal model

- known parents $a_i = 1/2(a_{f(i)} + a_{m(i)}) + w_i$

- unknown parents $a_i = w_i$

$$\mathbf{a} = T\mathbf{w}, \mathbf{w} = T^{-1}\mathbf{a}$$

- García-Cortés et al. (2008)

- Define k partitions (countries) $P_1 + P_2 + \dots + P_k = I$

$$\mathbf{a} = T\mathbf{w} = TT^{-1}\mathbf{a}$$

$$= T(P_1 + P_2 + \dots + P_k)T^{-1}\mathbf{a}$$

$$= TP_1T^{-1}\mathbf{a} + TP_2T^{-1}\mathbf{a} + \dots + TP_kT^{-1}\mathbf{a}$$

$$= \mathbf{a}_1 + \mathbf{a}_2 + \dots + \mathbf{a}_k$$



Method (2)

$$\hat{\mathbf{a}} = TP_1T^{-1}\hat{\mathbf{a}} + TP_2T^{-1}\hat{\mathbf{a}} + \dots + TP_kT^{-1}\hat{\mathbf{a}}$$

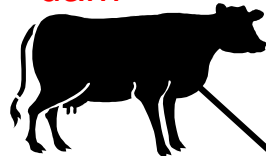
the flow of genes through pedigree

the “path” matrix for the i-th origin

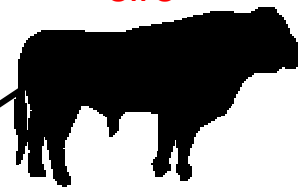


Example (1)

$EBV_{dam} = 90$



$EBV_{sire} = 110$



Foreign

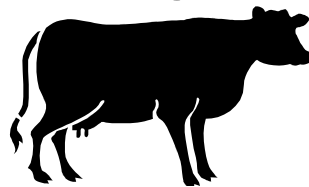
$$\begin{aligned} \text{Parent average} &= \frac{1}{2} EBV_{dam} + \frac{1}{2} EBV_{sire} \\ &= \frac{1}{2} [(90) + (110)] = 100 \end{aligned}$$



$EBV_{progeny} = 110$

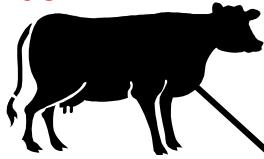
Domestic

$$\text{Mendelian sampling} = 110 - 100 = 10$$

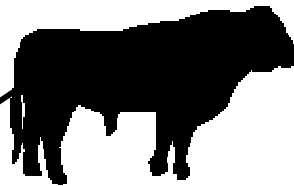


Example (2)

$EBV_{dam} = 90$



$EBV_{sire} = 110$



Parent average = 100

$EBV_{sire} = 120$

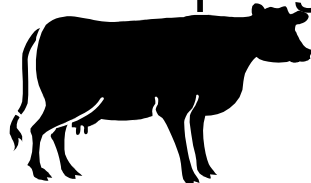


Foreign

Domestic

$EBV_{progeny} = 110$

Mendelian sampling = 10



Parent average = 115

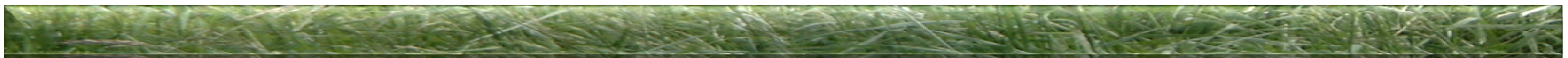
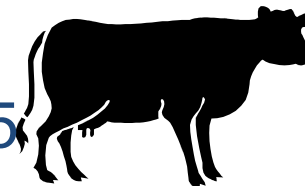
$EBV_{progeny} = 120$

Mendelian sampling = 5

$EBV_{progeny} = 120$

$= 110 + 5 + 5$

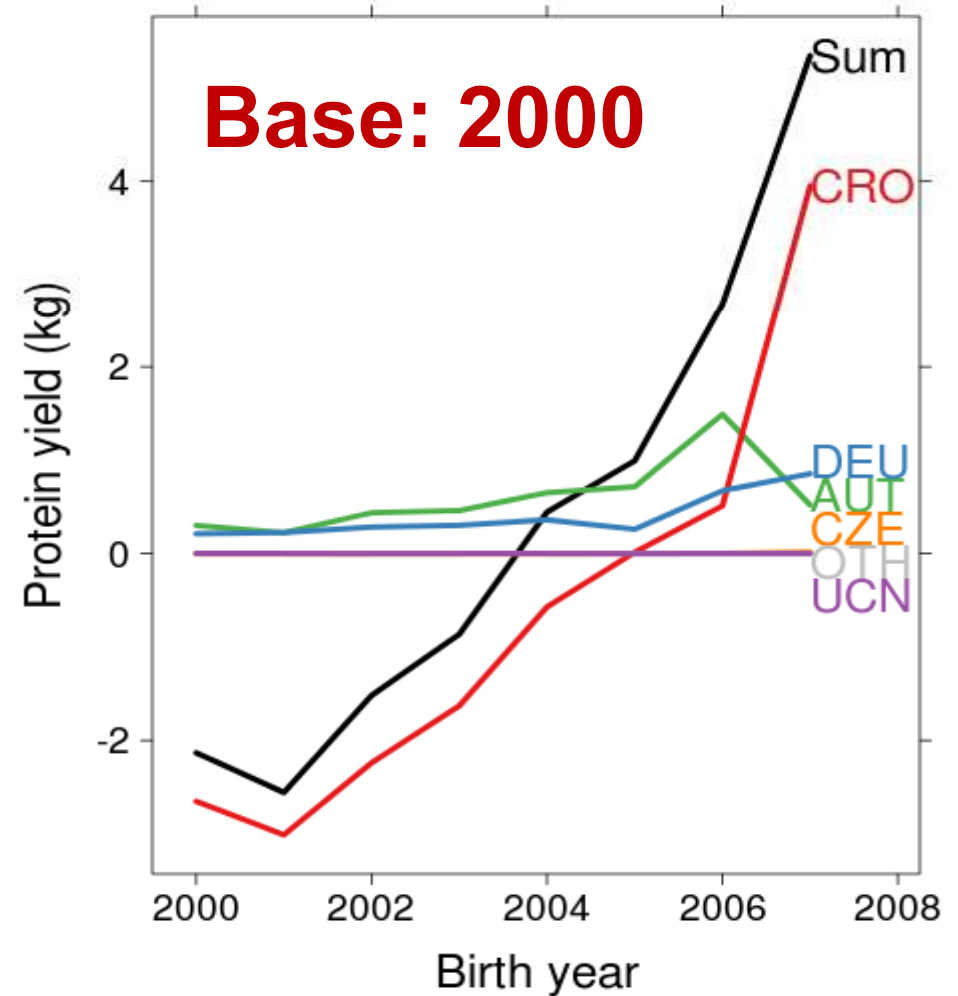
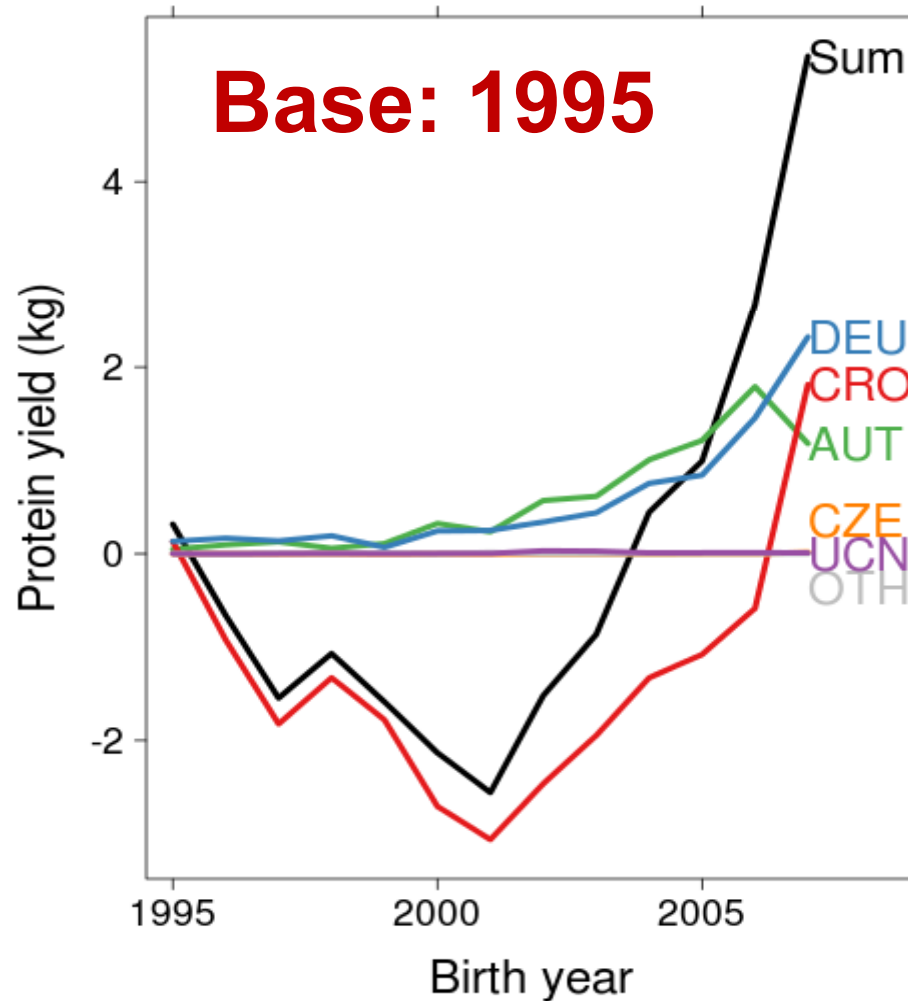
$= 110 + 10$



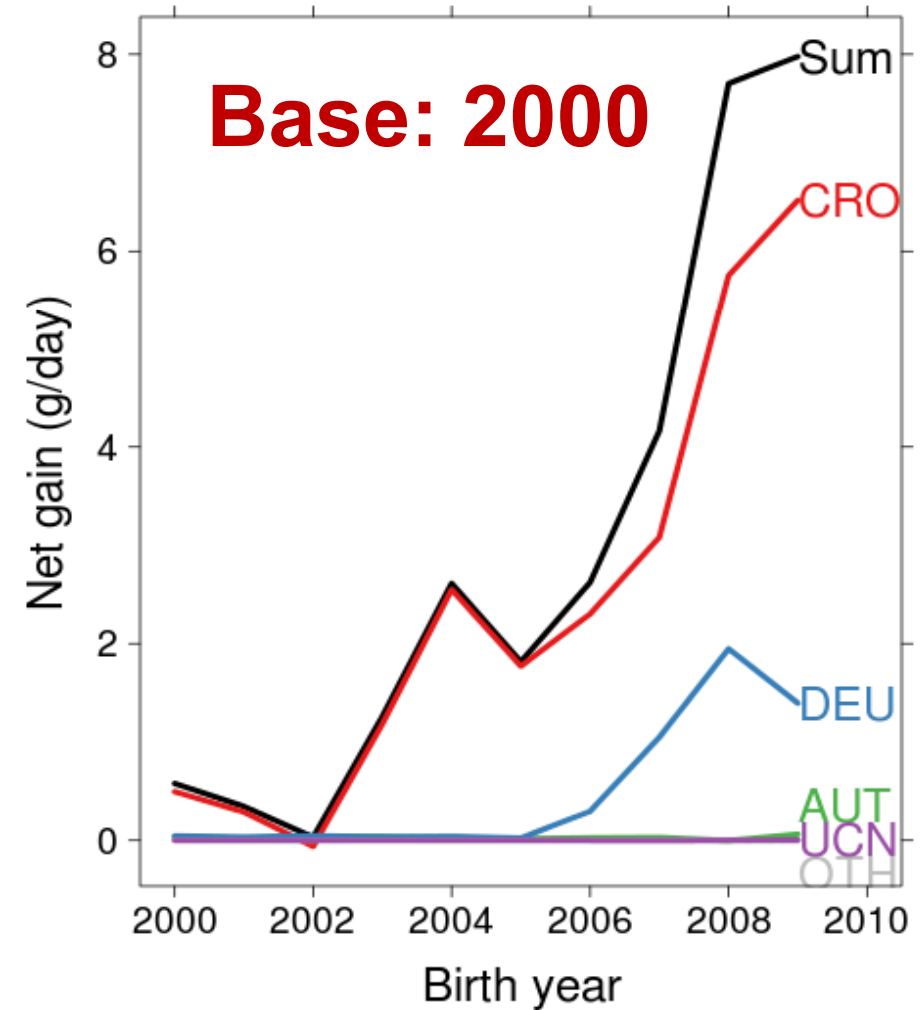
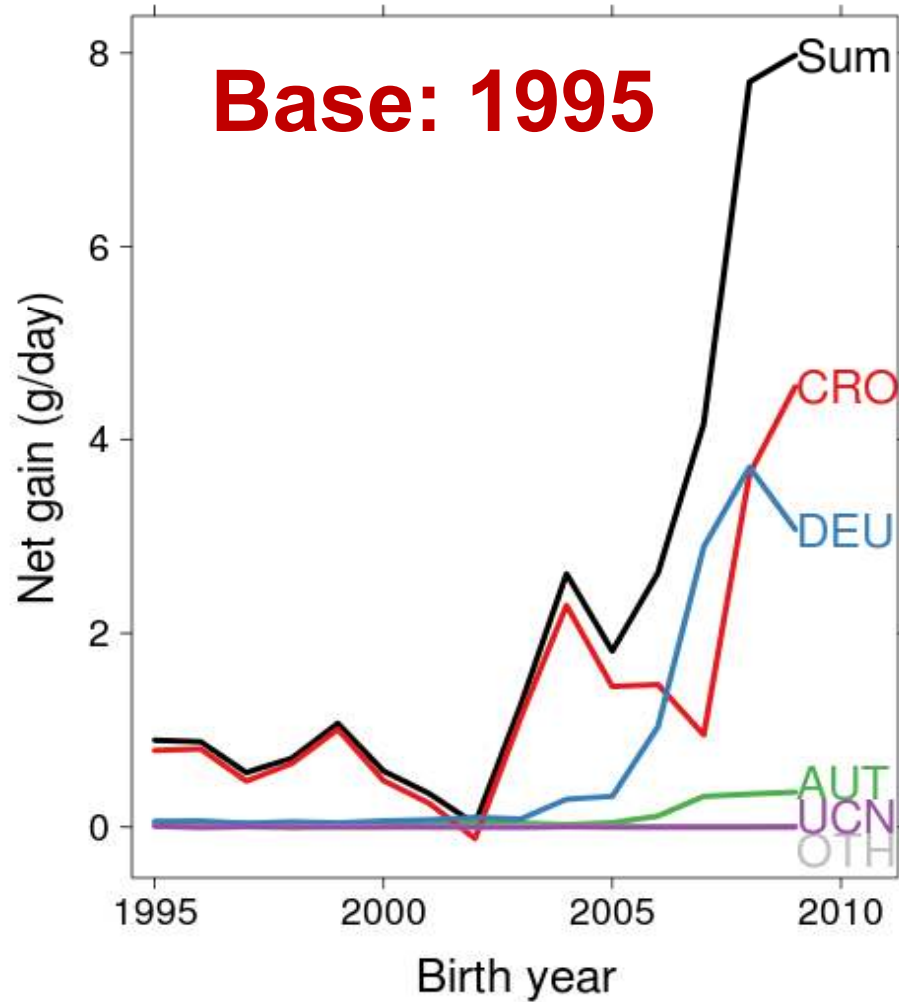
Results



Protein yield - base population effect



Net gain – base population effect



Conclusions

- Positive genetic trend
- Large influence of DEU and AUT origin
- National work → 34% for protein yield and 57% for net daily gain
- Countries can achieve some additional genetic progress even when there is an abundant import of live animals and semen

